

# 515: Top Quark Results from DØ

Mark Strovink (strovink@lbl.gov) for the DØ Collaboration

University of California, Berkeley / E.O. Lawrence Berkeley National Laboratory

**Abstract.** This is a brief summary of DØ's top quark measurements, including  $\sigma_{t\bar{t}}$  and  $m_t$  in the  $\ell$ +jets and dilepton channels,  $\sigma_{t\bar{t}}$  in the all jets channel, and the search for top disappearance via  $t \rightarrow bH^+$ ,  $H^+ \rightarrow \tau\nu$  or  $c\bar{s}$ .

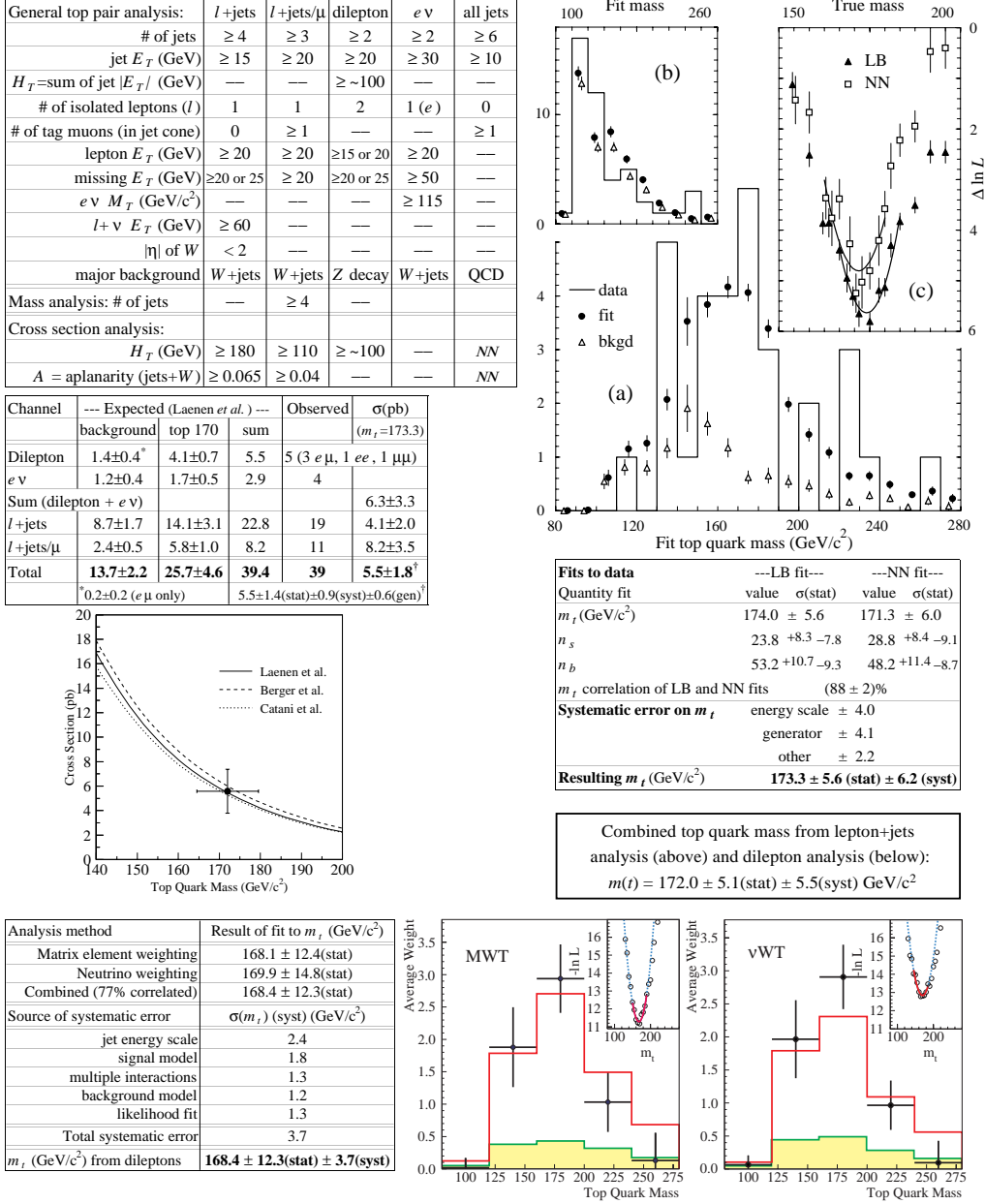
## 1 $\sigma(p\bar{p} \rightarrow t\bar{t} + X)$ ; $m_t$ in the $\ell$ +jets channel

DØ recently published[1] its measurement of the top pair production cross section,  $\sigma_{t\bar{t}} = 5.5 \pm 1.8$  pb. It is dominated by the  $\ell$ +jets channel, in which one of the  $W$ 's from the decay  $t \rightarrow bW$  decays to an isolated  $e$  or  $\mu$  and the other  $W$  decays to a  $q\bar{q}$  pair. Distinctive aspects of the analysis in this channel are the use of a logarithmic extrapolation in minimum jet multiplicity to estimate the main ( $W + \geq 4$  jets) background, and the use of stringent cuts on aplanarity ( $\mathcal{A} > 0.65$ ) and scalar transverse energy ( $H_T > 180$  GeV) to suppress it. Fig. 1 tabulates the main selection criteria and the signal and background for each channel. It includes a plot showing the excellent agreement of this result with theory.

Published[2] in the same journal issue is DØ's measurement in the  $\ell$ +jets channel of the top quark mass,  $m_t = 173.3 \pm 5.6 \pm 6.2$  GeV/ $c^2$ . This analysis uses a multivariate discriminant  $\mathcal{D}$  to separate top signal from background, based on input kinematic variables especially chosen to be only weakly correlated with the 2C fitted top mass  $m_{\text{fit}}$ . The true top mass  $m_t$  is extracted from a likelihood ( $L$ ) fit to events binned in both  $m_{\text{fit}}$  and  $\mathcal{D}$ . Fig. 1 shows the distribution of  $m_{\text{fit}}$  for both a top-enriched and a top-depleted sample, as well as  $L$  vs.  $m_t$ . Tabulated there are the fit parameters for two different definitions of  $\mathcal{D}$ , the systematic errors, and the result.

## 2 $m_t$ in the dilepton channel

DØ's measurement of  $m_t$  in the dilepton channel has been submitted for publication[3]. Here, with both  $\nu$  momenta unmeasured, the fit is  $-1C$  rather than  $+2C$  for  $\ell$ +jets. If  $m_t$  is assumed, the system can be reconstructed via a quartic equation with 0, 2, or 4 real solutions, which usually exist for a wide range of  $m_t$ . More resolving power is gained by asking "if  $m_t$  had a certain value, how likely is it that the top decay products would appear in the detector as they did?" The factors[4] in this likelihood  $\mathcal{L}(m_t)$  are: (A)  $(1/\sigma_{t\bar{t}})(d\sigma_{t\bar{t}}/d\text{LIPS})$ , (B) the lepton energy density  $dN/dE_\ell$  in the top quark



**Fig. 1.** Collage of DØ top quark results. Top left: main selection criteria by channel. Beneath: event statistics and  $\sigma_{t\bar{t}}$ , total and by channel; plot comparing measured  $\sigma_{t\bar{t}}$  to theory. Top right: distributions in  $m_{\text{fit}}$  for (a) top enriched and (b) top depleted  $l+jets$  samples; (c) likelihood *vs.*  $m_t$ . Beneath: fit parameters for two different discriminants; errors and resulting  $m_t$ . Bottom left: results and errors for  $m_t$  from dileptons. Bottom right: average weight in 5  $m_t$  regions for both dilepton weights, with likelihood *vs.*  $m_t$  inset. Box: combined  $m_t$ .

rest frame, and (C) the Jacobian  $|\partial \text{LIPS} / \partial \{o\}|$ , where  $\{o\}$  (LIPS) is the set of observed (Lorentz-Invariant Phase Space) variables.

We make two independent approximations to  $\mathcal{L}(m_t)$ . The *matrix element weight* (MWT) method ignores (C), includes (B), and approximates (A) using a product of proton pdf's with an empirical  $m_t$  dependent factor. The *neutrino phase space weight* ( $\nu$ WT) method ignores (A) and (B). It approximates (C) by predicting  $\cancel{E}_T$  after fixing both  $\nu$  rapidities to many different values. This is compared to the measured  $\cancel{E}_T$  and a likelihood sum is incremented. To obtain the final weight, we sum over quartic solutions, jet assignments (including ISR and FSR), and many resolution-smeared versions of each event.

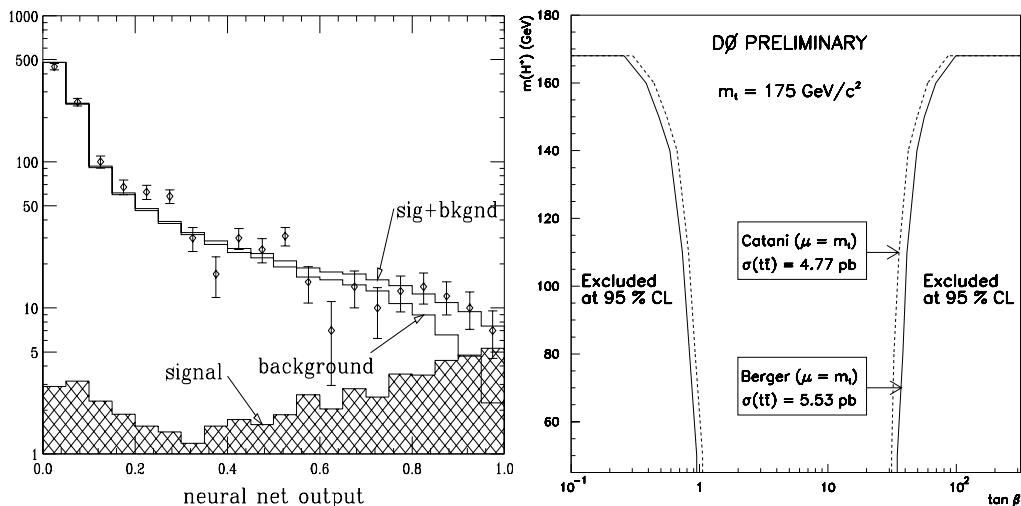
For both methods, a vector consisting of the fractional weight integrated over each of five  $m_t$  regions is stored for each event. To estimate the probability densities for signal and background in this vector space, we accumulate a Gaussian kernel for each event in the modeled sample. Plotted in Fig. 1 for each of the five  $m_t$  regions and both methods are the average weight for 6 data events, the best fit mixture, and the background. Inset is the likelihood *vs.*  $m_t$ . Tabulated also in Fig. 1 are the fit parameters for both methods, the systematic errors, and the result  $m_t=168.4\pm12.3\pm3.7$  GeV/c<sup>2</sup>. Combining this with DØ's  $\ell$ +jets result, we obtain  $m_t=172.0\pm5.1\pm5.5$  GeV/c<sup>2</sup>.

### 3 $\sigma(p\bar{p}\rightarrow t\bar{t}+X)$ in the all jets channel

When both of the daughter  $W$ 's decay into  $q\bar{q}$ , at least six jets are produced (we rank them with jet 1 highest in  $E_T$ ). Compared to the huge background from QCD multijets, top events in this channel are harder, less planar, and more central, with stiffer nonleading jets. As inputs to the first of two neural networks (NN<sub>1</sub> and NN<sub>2</sub> with outputs  $\mathcal{O}_1$  and  $\mathcal{O}_2$ ), we use 2-3 kinematic variables for each property. These are  $H_T$ ,  $\sqrt{\hat{s}}$ ,  $E_T(\text{jet } 1)/H_T$ ,  $\mathcal{A}$ , sphericity, centrality ( $=H_T/\sum E(\text{jets})$ ), rms  $\eta$  weighted by  $E_T$ , geometric mean  $\eta^2$  and  $E_T$  of jets 5 and 6,  $H_T$  excluding jets 1 and 2, and  $E_T$  weighted no. of jets.

Events are required to have  $\geq 1$  non-isolated  $\mu$  (tagging  $\geq 1$  jet as a  $b$  candidate). The inputs to NN<sub>2</sub> are  $\mathcal{O}_1$ ;  $p_T(\mu)$ ; a variable sensitive to the quality of a constrained fit to any top mass; and a Fisher discriminant sensitive to the jet width (considering signal to be quarks, background to be gluons). Both NN's are trained on HERWIG  $t\bar{t}$  events as signal. The background model is non  $\mu$ -tagged data to which a  $\mu$ -tag-rate function  $f(p_T(\mu), \text{jet } E_T, \text{detector } \eta)$  is applied. For all 14 NN inputs, observed ( $\mu$ -tagged data) distributions agree with those of the model.

Fig. 2 exhibits the best fit for  $\mu$ -tagged data of  $\mathcal{O}_2$  to a sum of signal and background, with the background normalization and top cross section as free parameters. The preliminary result is  $\sigma_{t\bar{t}}=7.9\pm3.1\pm1.7$  pb. The largest systematic uncertainties are in the background model (11%),  $p_T(\mu)$  spectrum (7%),  $\mu$  efficiency (7%), and  $\mu$ -tag parametrization (7%), with nine smaller sources. Requiring  $\mathcal{O}_2>0.78$ , we obtain 44 events with an expected background of  $25.3\pm7.3$  and an expected top signal of  $11.6\pm4.5$ . The observed excess corresponds to a Gaussian equivalent background fluctuation of  $\approx 3\sigma$ .



**Fig. 2.** Preliminary DØ results. Left: best fit for output of NN<sub>2</sub> to a mixture of all jets top signal and background. Right: regions in the  $M_{H^+}$  vs.  $\tan \beta$  plane excluded, each at 95% CL, by top disappearance search with the MSSM parameters shown.

#### 4 Top disappearance via $t \rightarrow bH^+$ , $H^+ \rightarrow \tau\nu$ or $c\bar{s}$ ?

If one or both of the produced  $t\bar{t}$  were to decay to  $H^\pm b$  rather than  $W^\pm b$ , the  $\ell$ +jets analysis used for DØ's top cross section measurement would be less efficient, causing a shortfall in the measured cross section relative to the SM calculation. Within the MSSM,  $t \rightarrow H^+ b$  occurs primarily at low and high  $\tan \beta$ . The shortfall occurs both at low  $\tan \beta$ , where  $H^+ \rightarrow c\bar{s}$ , and at high  $\tan \beta$ , where  $H^+ \rightarrow \tau\nu$ , due mainly to a lack of energetic isolated leptons. It leads to exclusion regions at the  $\tan \beta$  extremities of the  $M_{H^+}$  vs.  $\tan \beta$  plane, based on the relative likelihood vs.  $\log \tan \beta$  of obtaining the observed number (30) of  $\ell$ +jets events, for a given  $M_{H^+}$ .

Fig. 2 shows this exclusion region for two values of calculated  $\sigma_{t\bar{t}}$ . Within the MSSM, taking  $m_t = 175 \text{ GeV}/c^2$  and  $\sigma_{t\bar{t}} = 5.53 \text{ pb}$ , at 95% confidence the data require  $0.96(0.26) < \tan \beta$  for  $M_{H^+} = 50(168) \text{ GeV}/c^2$ , or  $\tan \beta < 35(96)$  for  $M_{H^+} = 50(168) \text{ GeV}/c^2$ . The dependence on  $m_t$  and on renormalization scale  $\mu$  is modest over most of the  $M_{H^+}$  vs.  $\tan \beta$  plane.

#### References

- [1] DØ Collaboration, S. Abachi *et al.*, Phys. Rev. Lett. **79** (1997), 1203.
- [2] DØ Collaboration, S. Abachi *et al.*, Phys. Rev. Lett. **79** (1997), 1197.
- [3] DØ Collaboration, B. Abbott *et al.*, submitted to Phys. Rev. Lett., hep-ex/970614 (1997).
- [4] M. Strovink for the DØ Collaboration, HEP 93 (Proc. Europhysics Conf. on HEP, Marseille, J. Carr and M. Perrottet, eds.) (1994) 292.